

Unit 3: Dynamics

3.1 Newton's Laws

Dynamics: the study of the **forces** that cause change in a system.

A force is a **push** or a **pull** exerted on an object. Forces can cause objects to **speed up**, **slow down**, or **change** direction as they move.

Newton's Laws

1st: An object at **rest** will remain at **rest** and an object travelling at a constant **velocity** will continue travelling at a constant **velocity** unless acted upon by an **unbalanced force**.

ex. A car accelerates around a corner and encounters ice. When the car loses grip the car travels... *in a line tangent to the curve where slippage occurred*

ex. The old table cloth trick... *the objects want to stay at rest*

https://video.search.yahoo.com/yhs/search:_yt=AwrWnfThzuFboEAA0RgPxQt:_yiu=X3oDMTB0NjZzZzHbGNvbG8DZ3ExbHBvcwMxMz0aWQDBHNIYwNwaXZz?p=tablecloth&k&vm=&type=dhm_AOLEX_set_bcr_all_ddc_srch_searchpulse_net&hspar=domaindev&hsimp=yhs-st_emea&ei=UTF-8&fr=yhs-domaindev-st_emea&id=2&vid=9f15cb65f5e6fce11ab7ae9f3b95ee18&action=view

2nd: The **acceleration** of an object is **inversely** proportional to its **mass** and **directly** proportional to the unbalanced **force** applied to it. It should be noted that Force is a **vector**.

From above we know that...

$\vec{a} \propto \frac{1}{m}$ also $\vec{a} \propto \vec{F}$

↑ proportional
↑ higher mass means lower acceleration

↑ higher force → higher \vec{a}

combined we get
 $\vec{F} \propto km\vec{a}$
as it happens $[k=1]$

$\vec{F} = m\vec{a}$

Note: one Newton is about equal to the force of gravity on an apple.

In the 2nd law, we are always referring to \vec{F}_{net} , the overall force on an object.

$\vec{F} = m\vec{a}$ gives units of $F = \text{kg} \cdot \text{m/s}^2$
= Newtons

ex. A slingshot imparts a 10 N force on a 10 gram stone. What is the stones acceleration?

$$\vec{F}_{\text{net}} = 10 \text{ N}$$

$$m = 10 \text{ g} = 0.01 \text{ kg}$$

$$\frac{\vec{F}}{m} = \frac{m \vec{a}}{m}$$

$$\vec{a} = \frac{10 \text{ N}}{0.01 \text{ kg}}$$

$$\vec{a} = 1000 \text{ m/s}^2 \quad \left[\text{in the direction of the applied force} \right]$$

Ex. A Formula-1 race car can do 0 to 100 km/h in 2.5 seconds. If the car and driver weigh 800 kg, what if the net force delivered by the car? forward

given: $\vec{v}_1 = 0$
 $\vec{v}_2 = 100 \text{ km/h}$
 $= 27.7 \text{ m/s}$

$$\Delta t = 2.5 \text{ Sec.}$$

$$m = 800 \text{ kg}$$

$$\vec{a} = \frac{\Delta \vec{v}}{\Delta t}$$

$$= \frac{27.7 - 0}{2.5 \text{ s}}$$

$$= 11.1 \text{ m/s}^2$$

$$\left[\begin{array}{l} \text{forward} \\ = \oplus \end{array} \right]$$

Now: $\vec{F} = m \vec{a}$
 $= (800 \text{ kg})(11.1 \text{ m/s}^2)$
 $= 8888.8 \text{ N}$

or $\boxed{9 \times 10^3 \text{ N}}$ forward

3rd: For every action, there is an **equal** and **opposite** reaction

 <https://www.youtube.com/watch?v=kKKM8Y-u7ds>

practice: photocopy #3 - 12, 19ac, 20ab, 21, 23, 25, 27, 30