

#19. Revenu = (prix)(# vendus)
original
 $= (360\$)(280)$
 $= 100\,800\$$

Soit $x = \#$ d'augmentation de $\$/10$

Revenu = (prix)(# vendus)

$$R(x) = (360 + 10x)(280 - 5x)$$

$$R(x) = -50x^2 + 1000x + 100\,800$$

fonction quadratique ... le
 Sommet donne (x, R) revenu maximal

$$x = \frac{-b}{2a}$$

$$= \frac{-1000}{2(-50)}$$

$$x_{\max} = 10$$

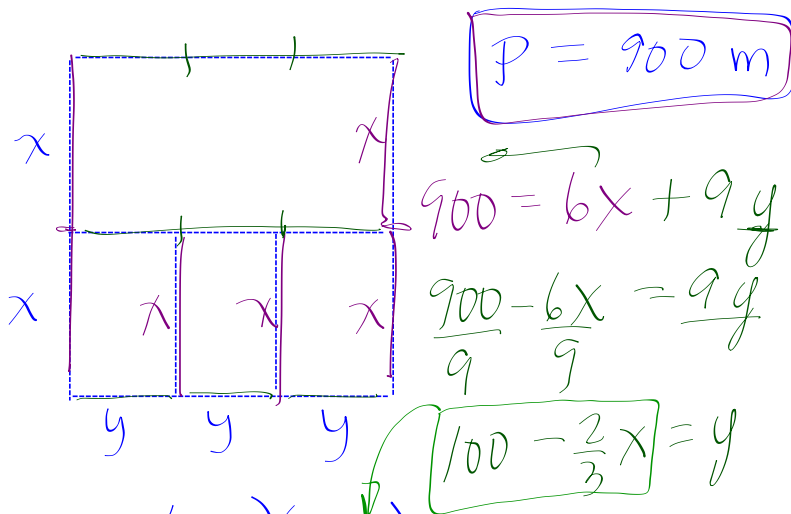
de
 augmentation
 de $10\$$

$$R(x_{\max}) = -50(10)^2 + 1000(10) + 100\,800$$

$$= 105\,800\$$$

o o canonique

$$\hookrightarrow R(x) = -50(x-10)^2 + 105\,800$$



$$900 = 6x + 9y$$

$$\frac{900 - 6x}{9} = \frac{9y}{9}$$

$$100 - \frac{2}{3}x = y$$

$$A = (2x)(3y)$$

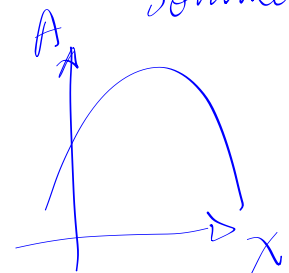
$$A = 2x \left[3 \left(100 - \frac{2}{3}x \right) \right]$$

$$= 2x(300 - 2x)$$

$$A(x) = 600x - 4x^2$$

$$= -4x^2 + 600x \Rightarrow \text{canonique}$$

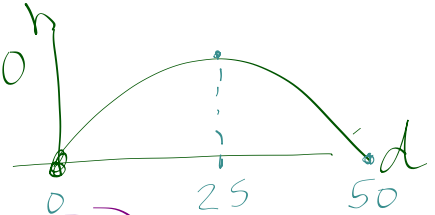
$A(x) \Rightarrow$
Sommet



$$h(d) = -0,032d^2 + 1,6d + 0$$

↳ canonique

$$x = \frac{-b}{2a} = \frac{-1,6}{2(-0,032)} = 25 \text{ p}$$



$$h(25) = -0,032(25)^2 + 1,6(25)$$

$$h_{\max} = 20 \text{ q}$$

$$h(d) = -0,032(d-25)^2 + 20$$

c) domaine : $\{d \in \mathbb{R} \mid 0 \leq d \leq 50\}$

image : $\{h \in \mathbb{R} \mid 0 \leq h \leq 20\}$