

### 3.6a Factoring Complex Trinomials: $ax^2 + bx + c$

I. Factoring a common binomial:

a)  $xA + yA$

b)  $2x(3x - 1) - 3(3x-1)$

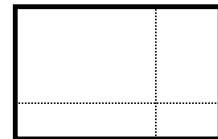
c)  $x(x - 1) + y(x - 1) - 3(x-1)$

II. Factoring  $ax^2 + bx + c$  :

ex.  $6x^2 + 7x + 2$

One  
method

represent the  
trinomial by an  
area model



Another  
method  
is called  
decomposition

$6x^2 + 7x + 2$

\* Find the product of \_\_\_\_\_

\* Find 2 factors of \_\_\_\_\_ that have a sum of \_\_\_\_\_

\* \_\_\_\_\_ the middle term with these two factors

\* group the \_\_\_\_\_ 2 terms and \_\_\_\_\_ 2 terms

\* common factor each group

\* factor the common binomial from the two parts and  
write the expression as the product of 2 binomials

ex.  $6x^2 - 13x + 5$

try:  $6x^2 - 13x + 5$

### III. My favourite: *Factoring by inspection*

ex.  $4x^2 - 4x - 15$

*\* write two parentheses that will eventually contain your two binomial factors*

*\* place 2 possible factors of  $ax^2$  at the beginning of each parenthesis*

*\* place 2 possible factors of  $c$  at the end of each parenthesis*

*\* execute a mental distribution to determine the value of the resulting middle term; if it matches the original trinomial you're finished, if not, rearrange the factors and try again*

*\* Inspection works well when the dominant coefficient ( $a$ ) or the constant term ( $c$ ) are prime numbers*

*Ex. Try these with methods II and III*

a)  $2x^2 - 9x - 18$

b)  $9x^2 - 21x + 10$