

9.3 Quadratic Inequalities in two variables

* A quadratic inequality in **two variables** describes an **area** on a cartesian plane either above or below the line... much like a linear inequality in two variables.

* As before, if we have an **exclusive** inequality ($<$ or $>$), we represent the boundary by a **dotted line** to indicate that the line itself is not part of the solution and we use a test point to determine on which side the solution lies.

ex. $y < x^2 - 2x - 3$

1) determine the line type you will use

exclusive \rightarrow dotted

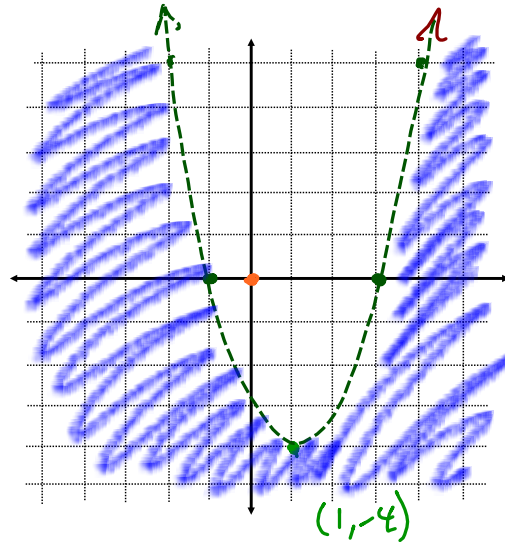
2) graph $y = x^2 - 2x - 3$

$$y = (x-3)(x+1)$$

$$\boxed{x=3} \quad \boxed{x=-1}$$

$$\begin{aligned} \text{AOS: } & \frac{-(-2)}{2(1)} \\ & = 1 \end{aligned}$$

$$\begin{aligned} y_v &= (1)^2 - 2(1) - 3 \\ &= 1 - 2 - 3 \\ &= -4 \end{aligned}$$



3) Test a point: Always $(0, 0)$ if possible

$$0 < (0)^2 - 2(0) - 3$$

$$\boxed{0 < -3} \text{ false} \Rightarrow \because (0,0) \text{ is not part of the sol}^n$$

4) Conclude by shading the appropriate area. \Rightarrow shade region NOT containing $(0,0)$

* On Ti-83

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$$y \leq -x^2 + 2x + 4$$

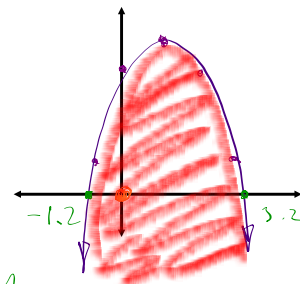
$$\text{AOS} = 1$$

$$y_v = 5$$

$$\text{test: } (0,0)$$

$$\boxed{0 \leq 4} \text{ true}$$

so shade under



Homefun: Pg. 496 # {3, 4, 6, 7, 8} ab, 10, 12, 16

12. $-t^2 + 14 < P$

$$-t^2 + 14 < 10$$

$$0 < t^2 - 4$$

$$0 = (t+2)(t-2)$$

$$\boxed{t=-2} \quad \boxed{t=2}$$

$$\Rightarrow$$

$$\boxed{t > 2 \text{ yrs}}$$

Since $t \geq 0$, $\boxed{t < -2}$ is not a solⁿ

